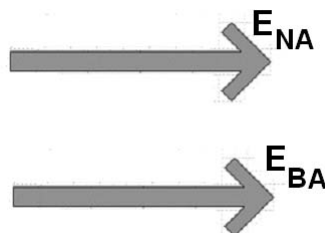


## Vectoring Basics

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Start With a Zero  
Reference Voltage.

- ☐ Wye –  $E_{NA}$
- ☐ Delta –  $E_{BA}$



## Vectoring Basics

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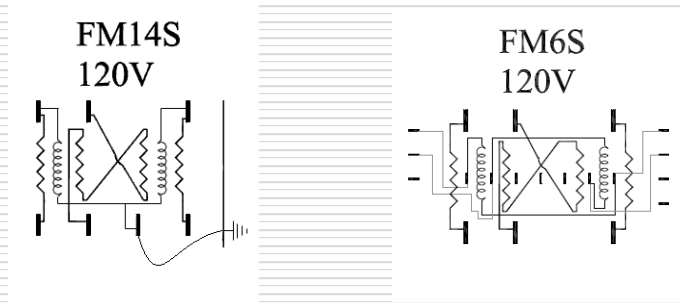
- ☐ Potential – Open Arrow.
- ☐ Current – Closed Arrow.
- ☐ Arrowhead Denotes Polarity.
- ☐ Current Enters the Polarity side of a Current Coil.
- ☐ Cannot have a C-Phase without first having A-Phase and B-Phase.
- ☐ The ONLY Current Coil that is ever reversed is B-Phase.
- ☐ B-Phase Current Coil Reverses when you Alter it.
- Half Coils and 'Z' Coils are considered Altered.***
- ☐ All Meter Elements Have Forward Torque at Unity Power Factor.
- Forward torque means less than 90 degrees between the Potential coil and the current coil vectors.***

## Sequence for Vectoring

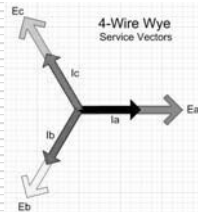
- ☐ Learn and Memorize the Three Basic System Vector Diagrams.
- ☐ Learn and Memorize Meter Footprints.
- ☐ The Meter Footprints show the Potential Connections and Currents being measured. *Labeling the connections is helpful.*
- ☐ Apply the Rules Regarding Forward Torque and Which Current Coils may be Reversed.
- ☐ Draw the Meter Vectors.
- ☐ Create a hypothetical load.
- ☐ Do the Math.

## Two & 1/2 Element Meters

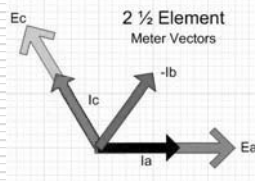
- ☐ Forms 14 & 6 (Conforming)



## Form 6 and 14 vectors

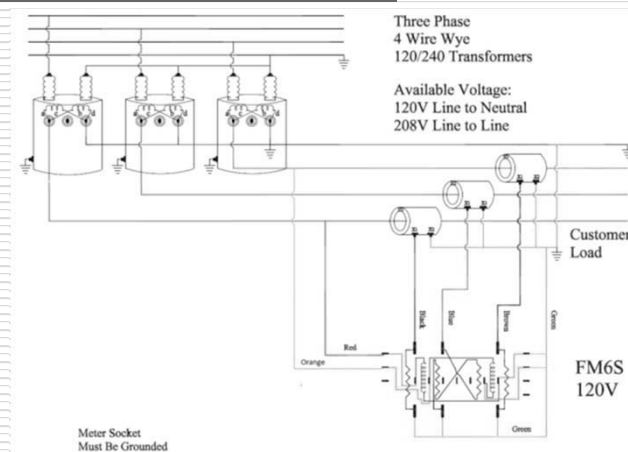


□ System Vectors.

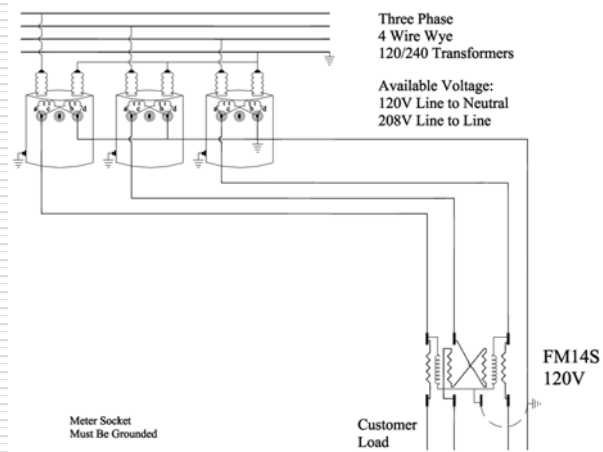


□ Meter Vectors.  
Non-conforming meter.

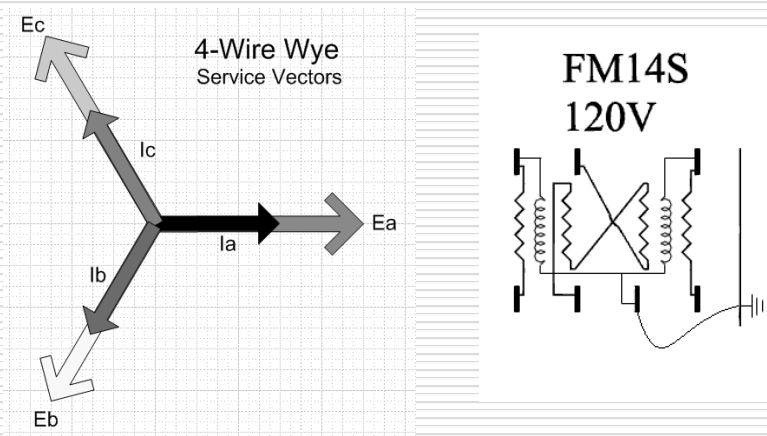
## Form 6 as a 3Ø 4-Wire Meter



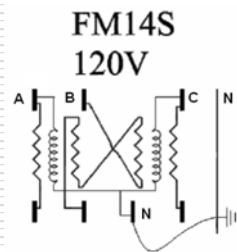
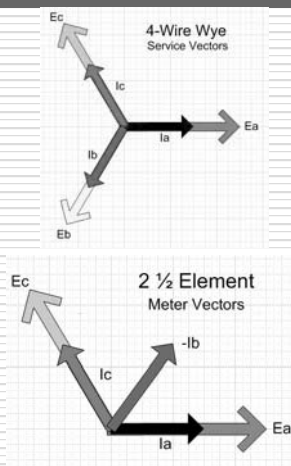
## Form 14 as a 3Ø 4-Wire Meter



## Form 14 as a 3Ø 4-Wire Meter



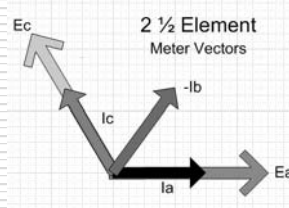
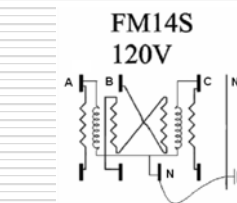
## Form 14 as a 3Ø 4-Wire Meter



## Drawing the Meter Vectors

- ☐ Apply the Rules Regarding Forward Torque and Which Current Coils may be Reversed.
- ☐ Draw the Meter Vectors.

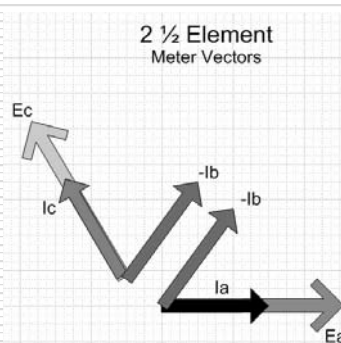
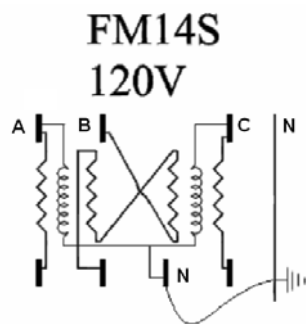
***B-phase is a 'Z-coil', so  $I_b$  is reversed.***



## Drawing the Meter Vectors

Consider  $I_b$ . It's a 'Z-coil', so it is a double Coil.

$-I_b$  interacts with  $E_a / I_a$  and  $-I_b$  interacts with  $E_c / I_c$ .



## Create a Load

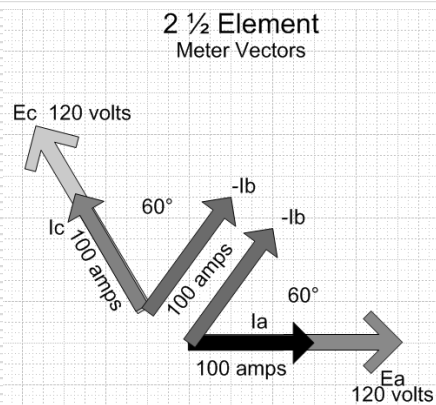
A Convenience Store with 36 kW of load

*(For simplicity phases are evenly loaded and 1.0 pf)*

**36000 watts of 3-phase**

$36000 / (120 \times 3) = 100$  phase amps

## Form 14 Vectors



**Total watts = 36000**

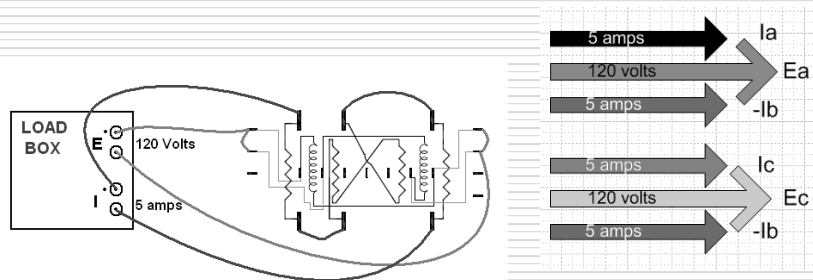
'A' Element watts =  
 $120 \times 100 \times \cos 0^\circ +$   
 $120 \times 100 \times \cos 60^\circ$   
 = 18000 watts

'C' Element watts =  
 $120 \times 100 \times \cos 0^\circ +$   
 $120 \times 100 \times \cos 60^\circ$   
 = 18000 watts

**Total: = 36000**

## Single-phase testing 2 ½ element meter

*There's no angular displacement, so it tests  
like a 4-element meter.*



## Calculations

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One element:  $5 \text{ amps} \times 120 \text{ volts} = 600 \text{ Watts}$ .

Four elements:  $5 \times 120 \times 4 = 2400 \text{ Watts}$ .

You will know if it's connected properly because the watts will = ?

## Unique Example

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A Cap bank is switched according to MW load on a specific transformer. Some time in the past the Watt meter (2 ½ element) was wired using A-phase voltage, B-phase current and C-phase Voltage.

The multiplier for the meter includes an additional X 1.5 to correct for the lack of C-phase current (failed CT). How does this meter work?

## Exercise

**Given: 3-phase 30 amp 208 volt load  
Unity power factor**

**Straight Math:**  
 $3 \times 120 \times 30 = 10,800 \text{ watts}$

**As The Meter Sees It:**  
(Form 14)

**Element 'A'**

$$120 \times 30$$

+

$$120 \times 30 \times \cos 60^\circ$$

$$= 5400 \text{ watts}$$

**Element 'C'**

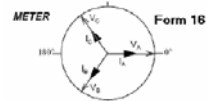
$$120 \times 30$$

+

$$120 \times 30 \times \cos 60^\circ$$

$$= 5400 \text{ watts}$$

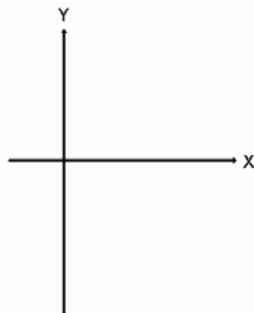
**Total = 10,800 watts**



## Exercise

**Try It**

**Given: 3-phase 30 amp 208 volt load  
power factor = .866  
(Cosine 30°)**



The End

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